# Scaling Language models 

He He

Nov 1, 2023

## What do language models do?

## - Answer questions

- Summarize documents
- Write programs
- Prove theorems
- ...


## What is funny about this image? Describe it panel by panel.



The image shows a package for a "Lightning Cable" adapter with three panels.
Panel 1: A smartphone with a VGA connector (a large, blue, 15-pin connector typically used for computer monitors) plugged into its charging port.

Panel 2: The package for the "Lightning Cable" adapter with a picture of a VGA connector on it.

Panel 3: A close-up of the VGA connector with a small Lightning connector (used for charging iPhones and other Apple devices) at the end.

The humor in this image comes from the absurdity of plugging a large, outdated VGA connector into a small, modern smartphone charging port.

## Dial back ten years

Which output is more likely?

- Speech recognition
the tail of a dog
the tale of a dog
It's not easy to wreck a nice beach.
It's not easy to recognize speech.
It's not easy to wreck an ice beach.
- Machine translation

He sat on the table.
He sat on the figure.
Such a Europe would the rejection of any ethnic nationalism.
Such a Europe would mark the refusal of all ethnic nationalism.

## Outline

Plan for today:
From n-gram language models to GPT

## Problem formulation

Goal: Assign probabilities to a sequence of tokens, e.g.,

- $p$ (the red fox jumped) $\quad p$ (the green fox jumped)


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- The set of all sentences (of varying lengths): $\mathcal{V}^{*}$
- Assign a probability $p(x)$ to all sentences $x \in \mathcal{V}^{*}$.


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- Most sentences only occur once.
- Need to restrict the model.


## Simplification 1: sentence to tokens

Solve a smaller problem: model probability of each token
Decompose the joint probability using the probability chain rule:

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\begin{aligned}
p(x) & =p\left(x_{1}, \ldots, x_{n}\right) \\
& =p\left(x_{1}\right) p\left(x_{2} \mid x_{1}\right) p\left(x_{3} \mid x_{1}, x_{2}\right) \ldots p\left(x_{n} \mid x_{1}, \ldots, x_{n-1}\right)
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- Problem reduced to modeling conditional token probabilities the red fox $\rightarrow$ jumped
- The left-to-right decomposition is also called an autoregressive model
- This is a classification problem we have seen
- But there is still a large number of contexts!


## Simplification 2: limited context

Reduce dependence on context by the Markov assumption:

- First-order Markov model

$$
\begin{aligned}
p\left(x_{i} \mid x_{1}, \ldots, x_{i-1}\right) & =p\left(x_{i} \mid x_{i-1}\right) \\
p(x) & =\prod_{i=1}^{n} p\left(x_{i} \mid x_{i-1}\right)
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- Number of contexts?


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- Number of parameters?


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- Number of contexts? $|\mathcal{V}|$
- Number of parameters? $|\mathcal{V}|^{2}$


## Model sequences of variable lengths

Assume each sequence starts with a special start symbol: $x_{0}=*$.

Assume that all sequences end with a stop symbol STOP, e.g.

$$
\begin{aligned}
& p \text { (the, fox, jumped, STOP) } \\
& =p(\text { the } \mid *) p(\text { fox } \mid \text { the }) p(\text { jumped } \mid \text { fox }) p(\text { STOP } \mid \text { jumped })
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What if we don't have the stop symbol?

- Which one is larger: $p$ (the fox) or $p$ (the fox jumped)?


## N-gram LM

- Unigram language model (no context):

$$
p\left(x_{1}, \ldots, x_{n}\right)=\prod_{i=1}^{n} p\left(x_{i}\right)
$$

- Bigram language model ( $x_{0}=*$ ):

$$
p\left(x_{1}, \ldots, x_{n}\right)=\prod_{i=1}^{n} p\left(x_{i} \mid x_{i-1}\right) .
$$

- n-gram language model:

$$
p\left(x_{1}, \ldots, x_{m}\right)=\prod_{i=1}^{m} p(x_{i} \mid \underbrace{x_{i-n+1}, \ldots, x_{i-1}}_{\text {previous } n-1 \text { words }})
$$

## Parameter estimation

Maximum likelihood estimation over a corpus (a set of sentences):

- Unigram LM

$$
p_{\mathrm{MLE}}(x)=\frac{\operatorname{count}(w)}{\sum_{w \in \mathcal{V}} \operatorname{count}(w)}
$$

- Bigram LM

$$
p_{\mathrm{MLE}}\left(w \mid w^{\prime}\right)=\frac{\operatorname{count}\left(w, w^{\prime}\right)}{\sum_{w \in \mathcal{V}} \operatorname{count}\left(w, w^{\prime}\right)}
$$

- In general, for n-gram LM,

$$
p_{\mathrm{MLE}}(w \mid c)=\frac{\operatorname{count}(w, c)}{\sum_{w \in \mathcal{V}} \operatorname{count}(w, c)}
$$

where $c \in \mathcal{V}^{n-1}$.

## Example

- Training corpus (after tokenization)
\{The fox is red, The red fox jumped, I saw a red fox\}
- Collect counts

$$
\begin{aligned}
& \operatorname{count}(\text { fox })=3 \\
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- Parameter estimates

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## Generating text from an n-gram model

1. Initial condition: context $=*$
2. Iterate until next_word is STOP:
2.1 next_word $\sim p(\cdot \mid$ context[: $-(n-1)])$
2.2 context $\leftarrow$ context + next_word

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|  | life have |
| :---: | :---: |
| gram | -Hill he late speak |
|  | -Why dost stand forth thy canopy, forsooth; he is this palpable h king. Follow. |
|  | -What means, sir. I confess she? then all sorts, he is trim, captain |
|  | 'tis done. |
|  | -This shall forbid it sh |
|  | -King Henry. What! I will go seek the traitor Gloucester. Exeunt great banquet serv'd in; -It cannot be but so. |

What is the training data?

## Perplexity

What is the loss function for learning language models?

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Held-out likelihood on test data $D$ (negative test loss):

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## Perplexity:

$$
\operatorname{PPL}(D)=2^{-\frac{\ell(D)}{|D|}}
$$

- Base of log and exponentiation should match
- Exponent is cross entropy: $H\left(p_{\text {data }}, p_{\theta}\right)=-\mathbb{E}_{x \sim p} \log p_{\theta}(x)$.
- Interpretation: a model of perplexity $k$ predicts the next word by throwing a fair $k$-sided die.


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Challenges:

- Generalization: sentences containing unseen n-grams have zero probability
- Much research in n-gram LM is dedicated to smoothing methods that allocate probability mass to unseen $n$-grams


## Neural language models

Neural networks solve the generalization problem in n-gram LMs.


- A decoder-only autoregressive neural language model
- Decoder can be an RNN or a transformer (with causal masking)
- What's the context size?


## Early efforts on scaling neural language models

| Model | Test Perplexity | Number of Params [billions] |
| :---: | :---: | :---: |
| Sigmoid-RNN-2048 (Ji ET AL., 2015A) | 68.3 | 4.1 |
| Interpolated KN 5-Gram, 1.1B N-Grams (Chelba et al., 2013) | 67.6 | 1.76 |
| Sparse Non-Negative Matrix LM (Shazeer et al., 2015) | 52.9 | 33 |
| RNN-1024 + MAXENT 9-GRAM FEATURES (Chelba et al., 2013) | 51.3 | 20 |
| LSTM-512-512 | 54.1 | 0.82 |
| LSTM-1024-512 | 48.2 | 0.82 |
| LSTM-2048-512 | 43.7 | 0.83 |
| LSTM-8192-2048 (No Dropout) | 37.9 | 3.3 |
| LSTM-8192-2048 (50\% DROPOUT) | 32.2 | 3.3 |
| 2-LAYER LSTM-8192-1024 (BIG LSTM) | 30.6 | 1.8 |
| BIG LSTM+CNN InPuts | 30.0 | 1.04 |
| BIG LSTM + CNN Inputs + CNN Softmax | 39.8 | 0.29 |
| BIG LSTM + CNN InPuts + CNN SOFTMAX + 128-dim Correction | 35.8 | 0.39 |
| BIG LSTM+CNN Inputs + Char LSTM predictions | 47.9 | 0.23 |

Figure: From Exploring the Limits of Language Modeling

Significant improvement in held-out perplexity given similar model sizes ( $\sim 1 \mathrm{~B}$ )

## Improvement from neural language models


$<S>$ With even more new technologies coming onto the market quickly during the past three years, an increasing number of companies now must tackle the ever-changing and ever-changing environmental challenges online. $\langle S\rangle$ Check back for updates on this breaking news story . $<S>$ About 800 people gathered at Hever Castle on Long Beach from noon to 2 pm , three to four times that of the funeral cortège . $\langle S\rangle$ We are aware of written instructions from the copyright holder not to , in any way, mention Rosenberg 's negative comments if they are relevant as indicated in the documents ," eBay said in a statement. $\langle S\rangle$ It is now known that coffee and cacao products can do no harm on the body . $\langle S\rangle$ Yuri Zhirkov was in attendance at the Stamford Bridge at the start of the second half but neither Drogba nor Malouda was able to push on through the Barcelona defence .

Figure: From Exploring the Limits of Language Modeling

LSTM vs KN5: improved perplexity on tail words

## Recap: language modeling as pretraining

What can we do with a very large language model?

- The cats that are raised by my sister $\qquad$ sleeping. syntax
- Jane is happy that John invited $\qquad$ friends to his birthday party. coreference
$\qquad$ is the capital of Tanzania.
- The boy is __ because he lost his keys. commonsense
- John took 100 bucks to Vegas. He won 50 and then lost 100. Now he only has
$\qquad$ to go home.

Predicting the next word entails many natural language understanding tasks

## Recap: Zero-shot behaviors from GPT

Key insight: if the model has learned to understand language through predicting next words, it should be able to perform these tasks without finetuning

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Heuristics for zero-shot prediction:

- Sentiment classification: [example] + very + \{positive, negative\} prompting
- Linguistic acceptability: thresholding on log probabilities
- Multiple choice: predicting the answer with the highest log probabilities
Learning dynamics: zero-shot performance increases during pretraining


## GPT-2: going beyond finetuning

Language Models are Unsupervised Multitask Learners [Radford et al., 2019]

- Supervised learning: models must be trained (finetuned) on a curated task dataset.
- They fail to generalize to out-of-distribution data (adversarial examples, robustness issues etc.)
- A generalist model must be trained on many tasks-but how do we get the datasets?
- Hypothesis: a (large enough) LM should be able to infer and learn tasks demonstrated in natural language, effectively performing unsupervised multitask learning


## GPT-2 details

- Similar to GPT-1 but scaled up (1.5B parameters)
- Data (WebText): ~40GB of web pages scraped from the internet that was curated to include high-quality text
- Tokenization: BPE over byte sequences for universal text processing.
- Small base vocabulary (256)
- Can process any text data regardless of pre-processing, tokenization, or vocab size.
- Larger context size (1024 tokens)


## Zero-shot performance: cloze test

```
    |: l}\begin{array}{l}{1/\textrm{Mr.}\mathrm{ Cropper was opposed to our hiring you, .}}\\{2 Not, of course, that he had any personal objection to you, but he is set}
    against female teachers, and when a Cropper is set there is nothing on earth can
    change him
    3 He says female teachers ca n't keep order
    4 He 's started in with a spite at you on general principles, and the boys know
    It They know he '11 back them up in secret, no matter what they do, just to prove
    Cropper is sly and slippery, and it is hard to corner him
    * Are the boys big?
    8 queried Esther anxiously
    ... yes
    Thirteen and fourteen and big for their age
    1 You ca n't whip 'em-- that is the trouble. .
    lol
    15 Mr. Baxter privately had no hope that they would, but Esther hoped for the
    best.
    16 She could not believe that Mr. Cropper would carry his prejudices into a
    personal application
    personal application, (this conviction was strengthened when he overtook her walking from school the
    next day and drove her home
    18 He was a big, handsome man with a very suave, polite manner
    19 He asked interestedly about her school and her work, hoped she was getting on
    ell, and said he had two young rascals of his own to send soon
    20 Esther felt relieved
q: She thought that Mr
```

$\qquad$

``` had exaggerated matters a inttie
C: Baxter, Cropper, Esther, course, fingers, manner, objection, opinion, right, spite.
a: Baxter
```



Larger models quickly closes the gap with human performance

## Zero-shot performance: generative QA

| Question | Generated Answer | Correct | Probability |
| :---: | :---: | :---: | :---: |
| Who wrote the book the origin of species? | Charles Darwin | $\checkmark$ | 83.4\% |
| Who is the founder of the ubuntu project? | Mark Shuttleworth | $\checkmark$ | 82.0\% |
| Who is the quarterback for the green bay packers? | Aaron Rodgers | $\checkmark$ | 81.1\% |
| Panda is a national animal of which country? | China | $\checkmark$ | 76.8\% |
| Who came up with the theory of relativity? | Albert Einstein | $\checkmark$ | 76.4\% |
| When was the first star wars film released? | 1977 | $\checkmark$ | 71.4\% |
| What is the most common blood type in sweden? | A | $x$ | 70.6\% |
| Who is regarded as the founder of psychoanalysis? | Sigmund Freud | $\checkmark$ | 69.3\% |
| Who took the first steps on the moon in 1969? | Neil Armstrong | $\checkmark$ | 66.8\% |
| Who is the largest supermarket chain in the uk? | Tesco | $\checkmark$ | 65.3\% |
| What is the meaning of shalom in english? | peace | $\checkmark$ | 64.0\% |
| Who was the author of the art of war? | Sun Tzu | $\checkmark$ | 59.6\% |
| Largest state in the us by land mass? | California | $x$ | 59.2\% |
| Green algae is an example of which type of reproduction? | parthenogenesis | $x$ | 56.5\% |
| Vikram samvat calender is official in which country? | India | $\checkmark$ | 55.6\% |
| Who is mostly responsible for writing the declaration of independence? | Thomas Jefferson | $\checkmark$ | 53.3\% |
| What us state forms the western boundary of montana? | Montana | $x$ | 52.3\% |
| Who plays ser davos in game of thrones? | Peter Dinklage | $x$ | 52.1\% |
| Who appoints the chair of the federal reserve system? | Janet Yellen | $x$ | 51.5\% |
| State the process that divides one nucleus into two genetically identical nuclei? | mitosis | $\checkmark$ | 50.7\% |

## Zero-shot performance: summarization

|  | R-1 | R-2 | R-L | R-AVG |
| :--- | :---: | :---: | :---: | :---: |
| Bottom-Up Sum | $\mathbf{4 1 . 2 2}$ | $\mathbf{1 8 . 6 8}$ | $\mathbf{3 8 . 3 4}$ | $\mathbf{3 2 . 7 5}$ |
| Lede-3 | 40.38 | 17.66 | 36.62 | 31.55 |
| Seq2Seq + Attn | 31.33 | 11.81 | 28.83 | 23.99 |
| GPT-2 TL; DR: | 29.34 | 8.27 | 26.58 | 21.40 |
| Random-3 | 28.78 | 8.63 | 25.52 | 20.98 |
| GPT-2 no hint | 21.58 | 4.03 | 19.47 | 15.03 |

- Challenge: not a "native" LM task
- Induce the task: [document] + [TL;DR]
- Not much better than copying 3 random sentences from the document
- Key question in the zero-shot paradigm: how do we tell the model what the intended task is?


## Zero-shot performance: machine translation

- Induce the task through a demonstration example:
translation $\sim p(\cdot \mid[$ french sentence $]=[$ english sentence]; [french sentence] $=)$
- WMT-14 French-English test set: 11.5 BLEU (worse than unsupervised MT)
- But, there's only 10MB french data in the 40GB training data!
- Typical unsupervised MT methods require crosslingual embeddings or monolingual corpora


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Is there data contamination (test data in training set)?

- Approach: check percentage of 8-grams that occur in both training and test data (using Bloom filters)


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- Verifying data contamination is an active research area!


## Has the model memorized everything?

Test the model on novel tasks:

Context (human-written): In a shocking finding, scientist discovered a herd of unicorns living in a remote, previously unexplored valley, in the Andes Mountains. Even more surprising to the researchers was the fact that the unicorns spoke perfect English.

GPT-2: The scientist named the population, after their distinctive horn, Ovid's Unicorn. These four-horned, silver-white unicorns were previously unknown to science.

Now, after almost two centuries, the mystery of what sparked this odd phenomenon is finally solved.

Dr. Jorge Pérez, an evolutionary biologist from the University of La Paz, and several companions, were exploring the Andes Mountains when they found a small valley, with no other animals or humans. Pérez noticed that the valley had what appeared to be a natural fountain, surrounded by two peaks of rock and silver snow.

## GPT-3: scaling up

- GPT-2 shows promise for zero-shot learning, but performance is still unsatisfying
- GPT-3 scales up model size, data size and diversity, and number of training steps
- Notable improvement in zero-shot and few-shot performance
- Inducing a task through natural language task descriptions

Total Compute Used During Training


## What does scaling mean?



Figure: From Jason Wei's slides

## Training data

|  | Quantity <br> (tokens) | Weight in <br> training mix | Epochs elapsed when <br> training for 300B tokens |
| :--- | :---: | :---: | :---: |
| Common Crawl (filtered) | 410 billion | $60 \%$ | 0.44 |
| WebText2 | 19 billion | $22 \%$ | 2.9 |
| Books1 | 12 billion | $8 \%$ | 1.9 |
| Books2 | 55 billion | $8 \%$ | 0.43 |
| Wikipedia | 3 billion | $3 \%$ | 3.4 |

Key challenge: data quality control

- Filter CommonCrawl based on similarity to high-quality reference corpora
- Fuzzy deduplication: avoid redundancy and data contamination
- Mix in known high quality data
- Upsampling high quality data during training


## Evaluation settings

The three settings we explore for in-context learning

## Zero-shot

The model predicts the answer given only a natural language description of the task. No gradient updates are performed.


## One-shot

In addition to the task description, the model sees a single example of the task. No gradient updates are performed.


## Few-shot

In addition to the task description, the model sees a few examples of the task. No gradient updates are performed.

Traditional fine-tuning (not used for GPT-3)

## Fine-tuning

The model is trained via repeated gradient updates using a large corpus of example tasks.


## Results: natural language understanding



Comparable to supervised results

## Results: few-shot machine translation

Translation (Multi-BLEU)


- Pretraining data: 93\% English, 7\% other languages
- Zero-shot is still worse than unsupervised MT
- But even giving one examples significantly boosts the result (+7 BLEU points)
- Results much better when translation into English
- Also see [Briakou et al., 2023] for the impact of bilingual data on MT performance


## Results: arithmetic



- "Emergent" ability at certain model scale
- Not systemic: works better on frequent numbers [Razeghi et al., 2022]


## Results: generation



Generated text is hard to detect from human-written text

## Analysis: data contamination



- Overlap can be large (e.g., many reading comprehension articles come from wikipedia)
- Result on clean part of the benchmark doesn't change much


## Conclusion

- A perfect language model on all human-written text can do all text-based tasks
- New behaviors that are not written in the training objective emerge (e.g., in-context learning)
- Open questions:
- How much are they memorizing vs generalizing?
- How do new abilities emerge?
- How to mitigate harmful, toxic, biased responses?

